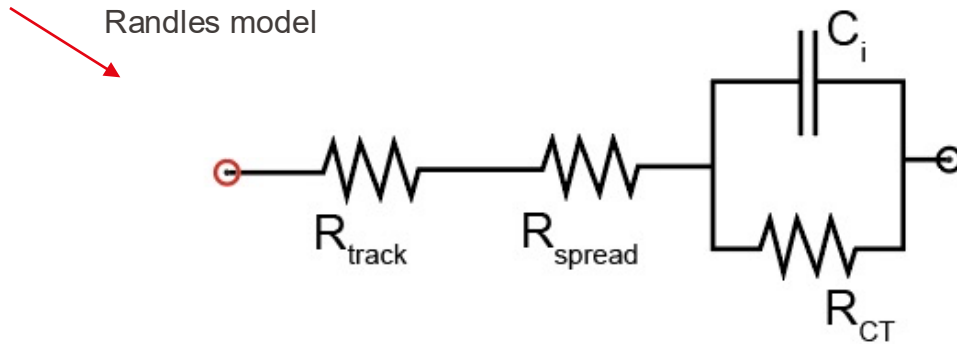
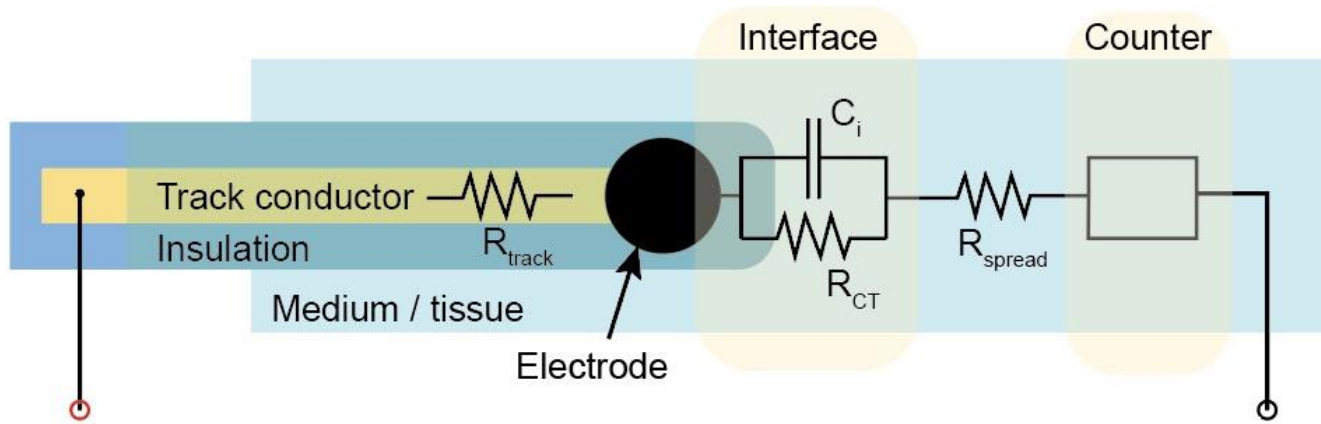


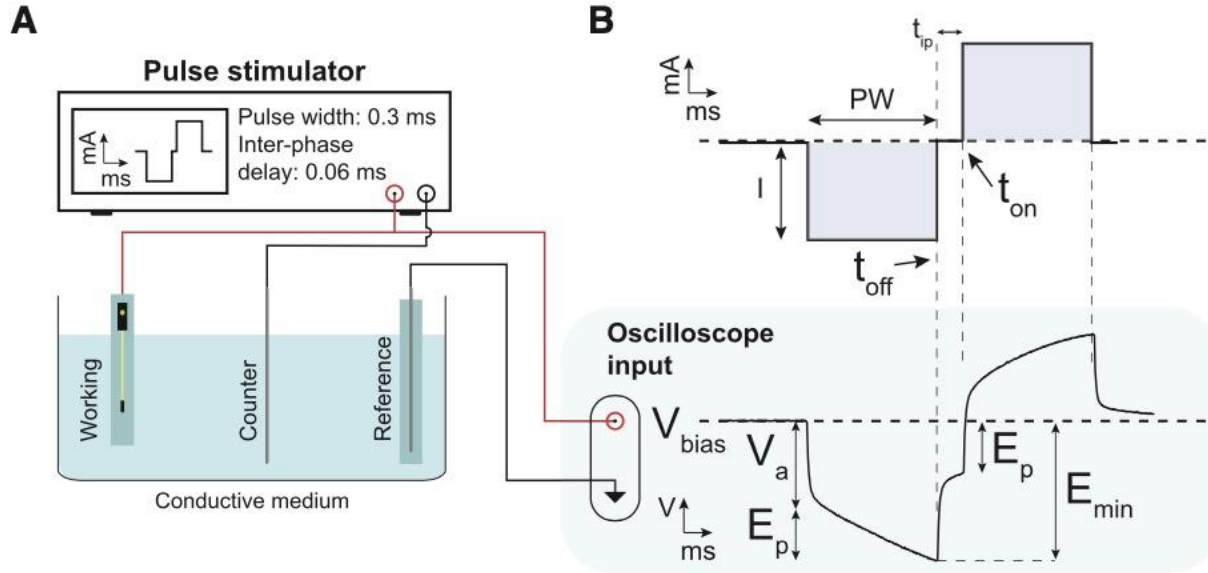
Neural Interfaces

NX-422
Neural stimulation

Equivalent electrical model of an electrode

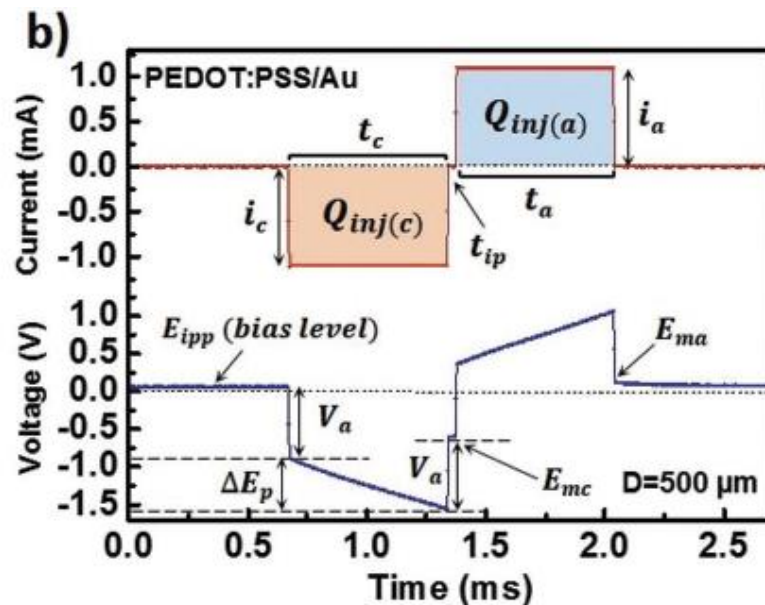


Voltage transient measurements



Charge Injection Capacity CIC

- E_{mc} :
 - maximum cathodal electrochemical potential excursions calculated by subtracting V_a from the maximum negative voltage transients or the electrode potential immediately, (when V_a is zero)
- E_{ma} :
 - maximum anodic electrochemical potential excursions
- Injected charges: $Q_{inj} = Q_{inj(b)} + Q_{inj(a)}$
- CIC:
 - total charge density at which either E_{mc} reaches water reduction potential (cathodal limit) and/or E_{ma} reaches water oxidation potential (anodal limit).

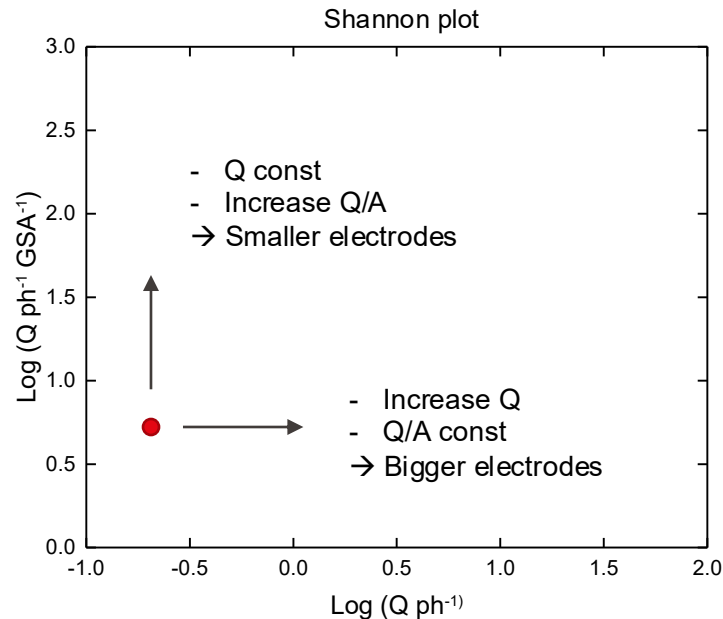
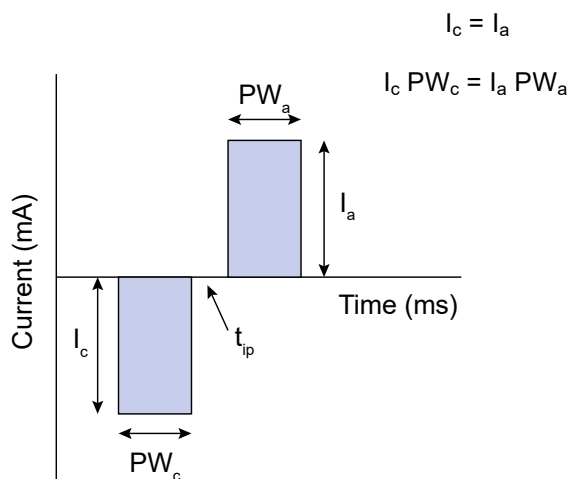


$$\text{CIC} = Q_{inj,c} / \text{GSA}$$

1. Define the stimulation waveform (PW)
2. Set the injected cathodic charge: $Q_{inj,C} = I_C \times t$
3. Measure the cathodic interface polarisation potential E_{mc}
4. Ramp the charge until E_{mc} reaches the « water window » limit
5. Calculate the corresponding CIC: $CIC = Q_{inj,C,max} / GSA$

Shannon Plot

Biphasic, cathodic leading, charge balanced, symmetric pulses



When discussing safety and often for ease of comparison:

- $Q/ph. = I_c PW_c$
- $Q/GSA = Q/ph./GSA$

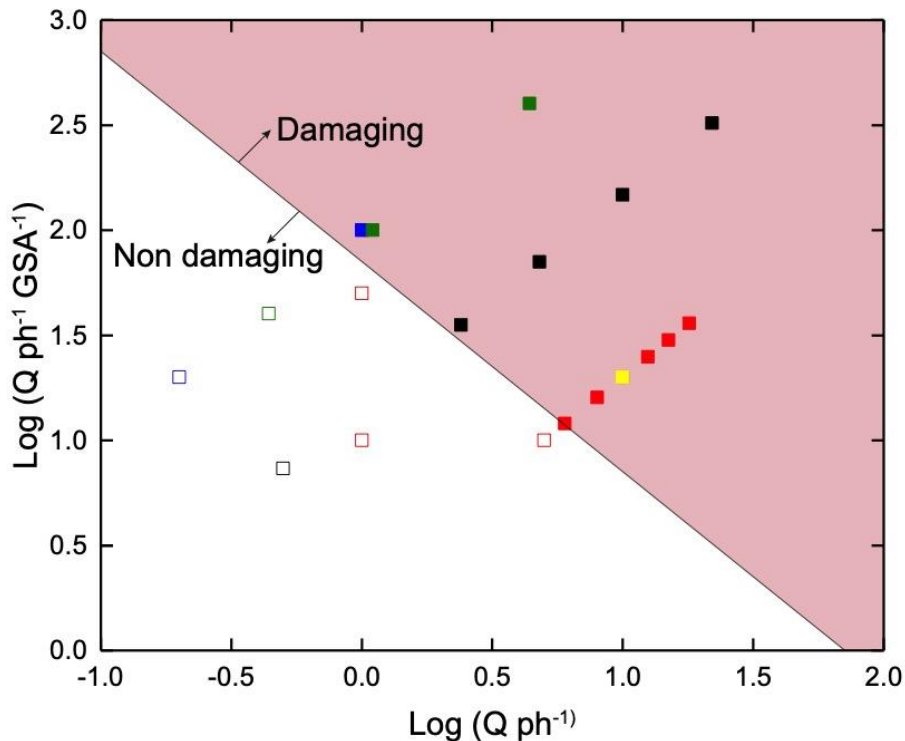
$[\mu C ph^{-1}]$
 $[\mu C ph^{-1} cm^{-2}]$

(All plots in these units, log scale)

→ We can map stimulation protocols on this plot

The Shannon limit

Planar macroelectrodes using the specified waveform



- McCreery 1990 non damaging
- McCreery 1990 damaging
- Shannon k=1.85
- Brown / Babb 1977 non damaging
- Brown / Babb 1977 damaging
- Agnew 1983 non damaging
- Agnew 1983 damaging
- Yuen 1981 non damaging
- Yuen 1981 damaging
- Agnew 1993 damaging

- Neuronal loss: death of neurons near the electrode.
- Electroporation of the membranes.
- Gliosis: proliferation of glial cells around the electrode (response).
- Edema: swelling in the stimulated tissue region.
- Hemorrhage: capillary damage.
- Tissue necrosis: adjacent to the electrode.
- Demyelination (in some CNS studies): local myelin sheath damage around axons.

“the Shannon limit” $\log\left(\frac{Q}{A}\right) = k - \log(Q)$
 $1.5 < k < 2$

Fits the data

The Shannon limit and GSA

What does this law imply in terms of current? Can you derive a limit for safe current?

$$\log \frac{Q}{A} > k - \log Q \quad \Leftrightarrow I > ?$$

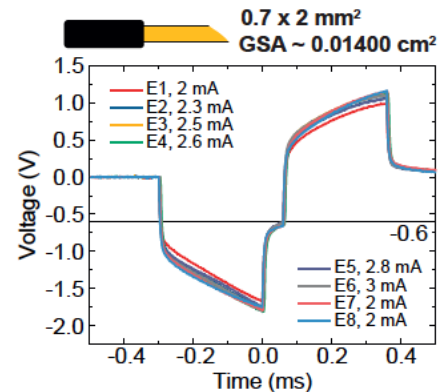
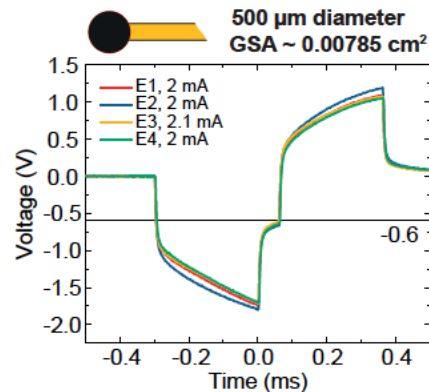
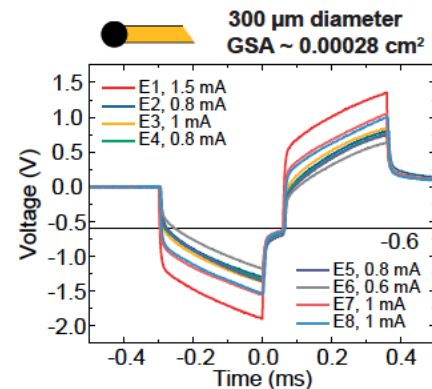
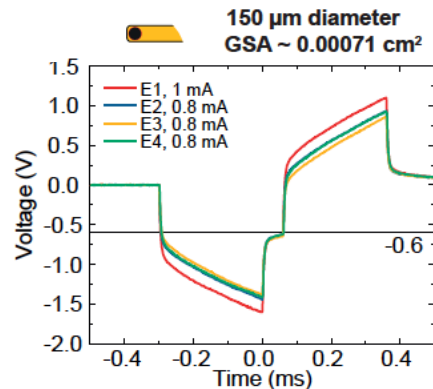
Electrochemical limits follow a similar trend

GSA: $150\mu\text{m } \varnothing \rightarrow 1.4\text{mm}^2$

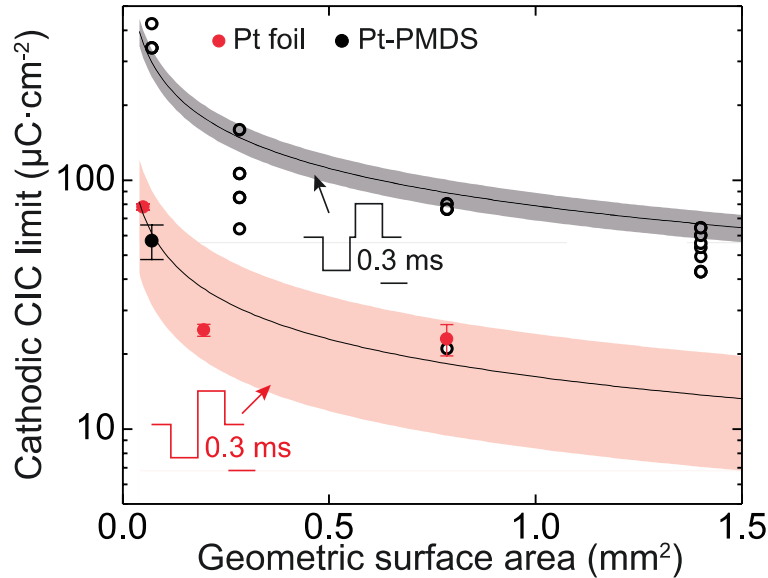


Four electrodes are characterised (identical material but different GSA).

How does the CIC evolve with GSA?



Electrochemical limits follow a similar trend



CIC limits measured by VT in saline also follow a GSA^{-1} trend

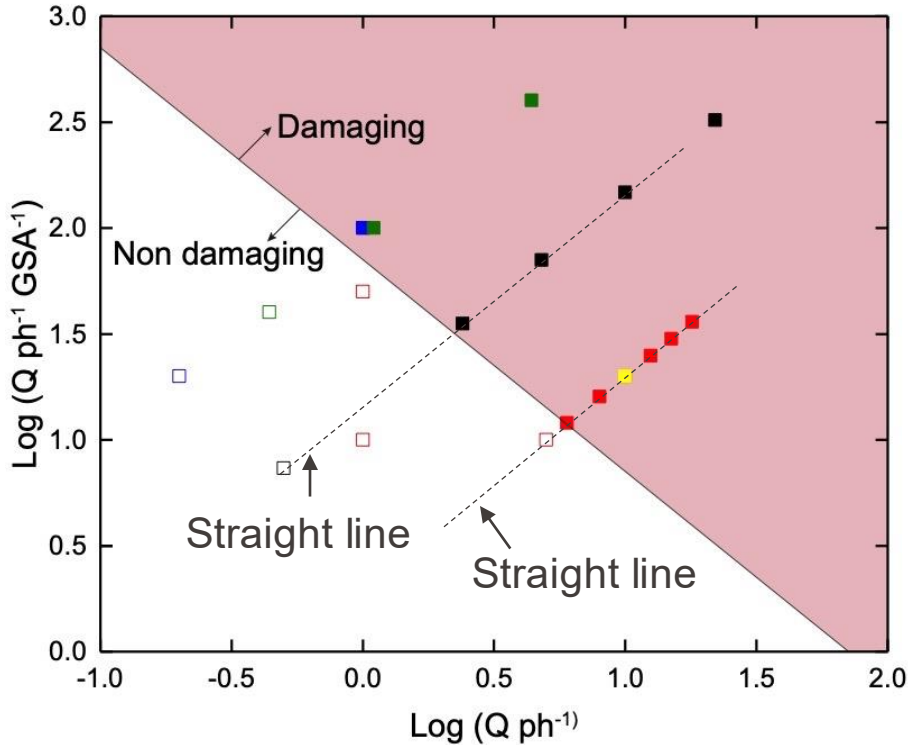
Datapoints show comparison between two electrode materials (plain platinum and platinum-silicone composite).

Both follow a GSA^{-1} trend.

→ Increasing stimulation performance of an electrode by increasing the perimeter/GSA ratio

Geometric surface area GSA on Shannon plot

What do constant area loci look like on Shannon plot? (Hint: $y = \log Q/A$, $x = \log Q$)

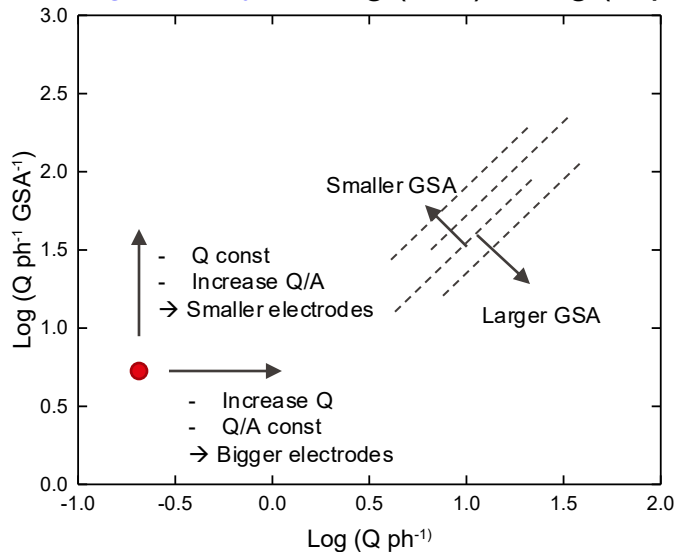
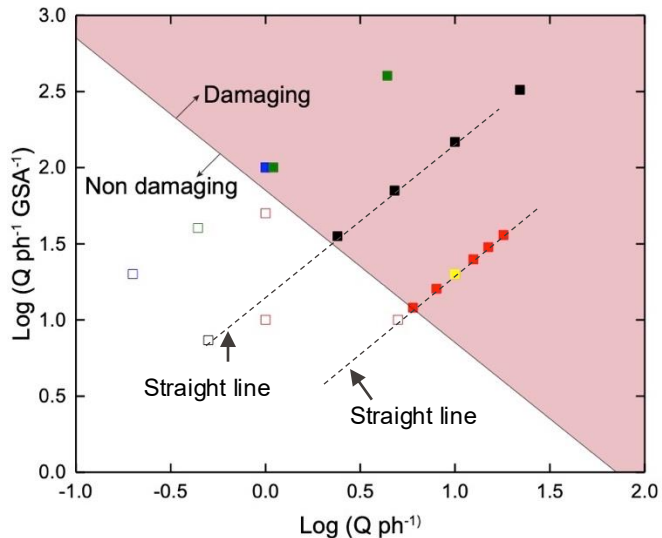


$$\log \frac{Q}{A} = k - \log Q; \quad A = \frac{Q}{\frac{Q}{A}} = \text{const.};$$

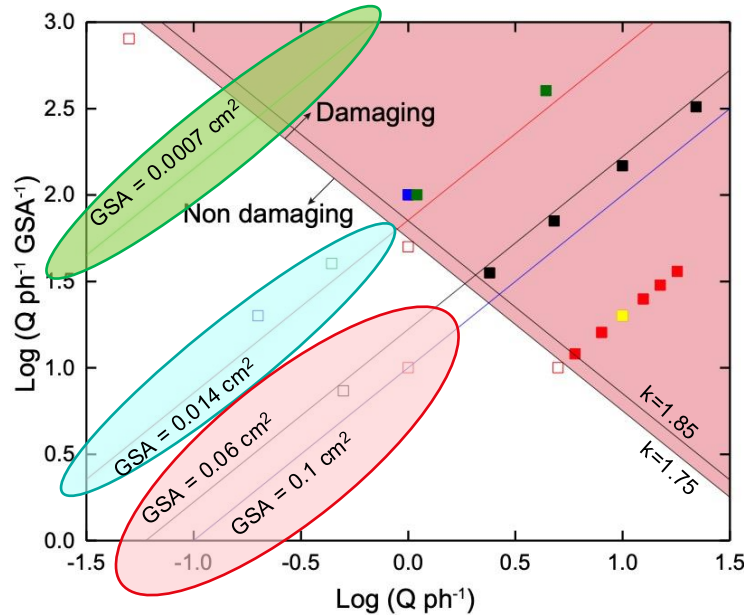
Geometric surface area GSA on Shannon plot

“the Shannon limit” $\log\left(\frac{Q}{A}\right) = k - \log(Q)$

“geometry” $\text{Log}(Q/A) = \text{Log}(Q/\text{ph}) - \text{Log}(A)$;



The 30 $\mu\text{C}\cdot\text{cm}^{-2}$ limit



- MACRO / CLINICAL: e.g. SCS, DBS, VNS
- MESO: e.g. e-dura (Pt composite) in minipig, NHP
- MICRO: e.g. e-dura (Pt composite) in rat

Schiavone 2020

Minev 2015

For Medtronic SCS / DBS: $\text{GSA} = 0.06 \text{ cm}^2$

$$\begin{aligned} \rightarrow \text{Log}(Q/A) &= \text{Log}(Q/\text{ph}) - \text{Log}(0.06); \\ \text{Log}(Q/A) &= k - \text{Log}(Q/\text{ph}); \end{aligned}$$

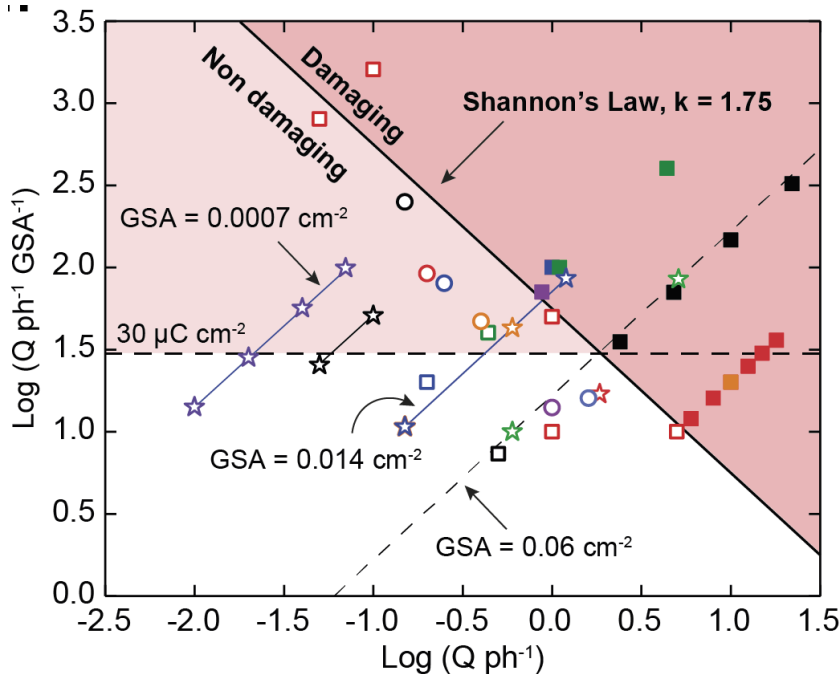
For $k = 1.75$:

$$\rightarrow \text{Log}(Q/A) = 0.5 (1.75 - \text{Log}(0.06)) = 1.486;$$

$$\rightarrow Q/A = 10^{1.486} \sim 30 \mu\text{C cm}^{-2}$$

Charge vs charge density for safe stimulation

“the Shannon limit” $\log\left(\frac{Q}{A}\right) = k - \log(Q)$ $1.5 < k < 2$



- Brown 1977, Cerebellum NHP
- Yuen 1981, Cortex feline
- Agnew 1983, Cortex feline
- McCreery 1988, Cortex feline
- McCreery 1990, Cortex feline
- Agnew 1993, Cortex feline
- ☆ Minev 2015, SCS rat
- ★ Garcia-Sandoval 2018, SCS rat
- ★ Schiavone 2018, SCS minipig
- ☆ Schiavone 2020, SCS NHP
- Salinsky 1996, VNS human
- Mahadevappa 2005, Retina human
- Schrader 2006, ECoG human
- Shepherd 2006, Cochlea human
- ★ Abejon 2007, SCS human
- Balthasar 2008, Retina human
- Fujikado 2011, Retina human
- ☆ Wagner 2018, SCS human

UNSAFE: irreversible electrochemical reaction
tissue damage
neuronal hyperactivity

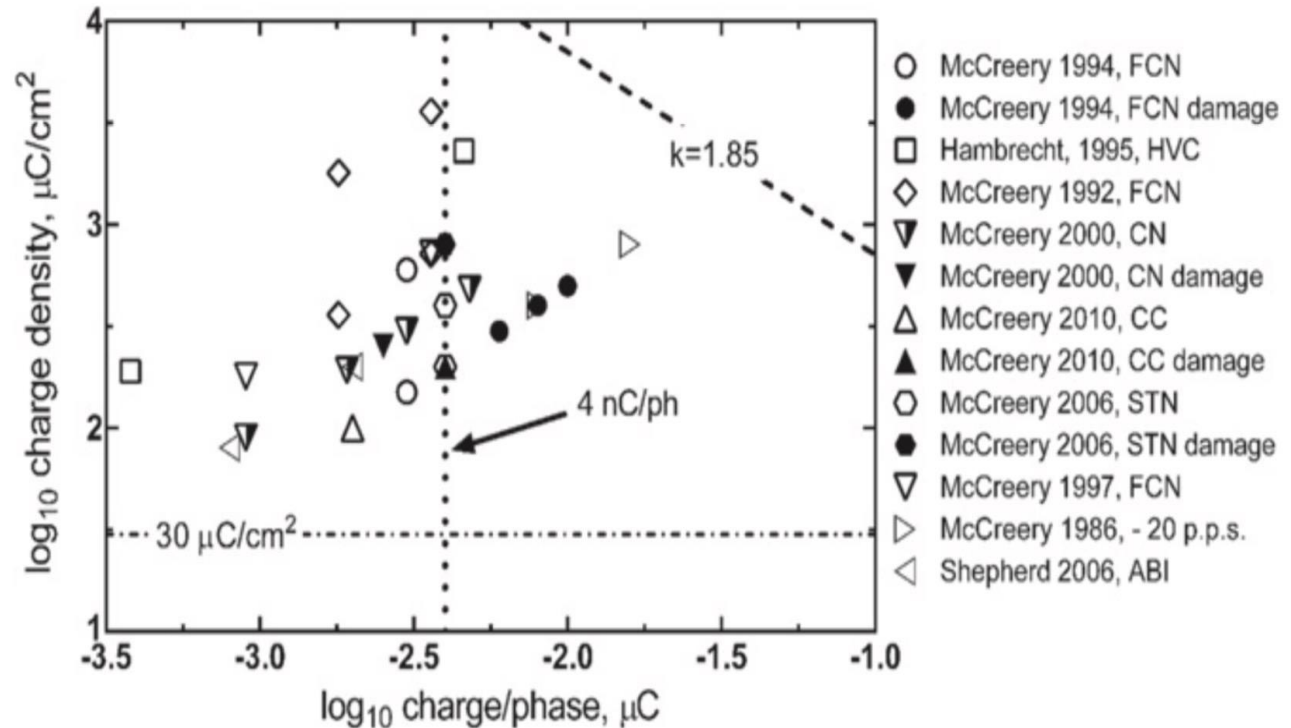
Microelectrodes behave differently

For penetrating microelectrodes tissue damage thresholds are Q/ph.-dependent.

Point-source model

→ far-field condition, neuronal population activated not a function of the GSA

→ GSA and shape play little to no role in the observed tissue damage



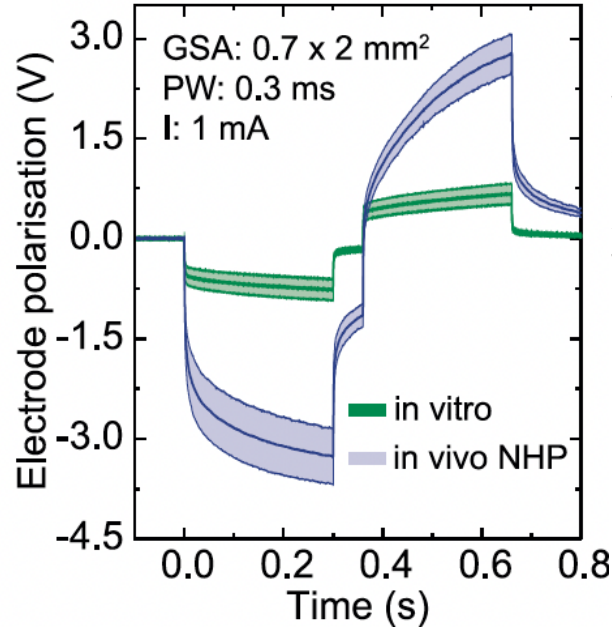
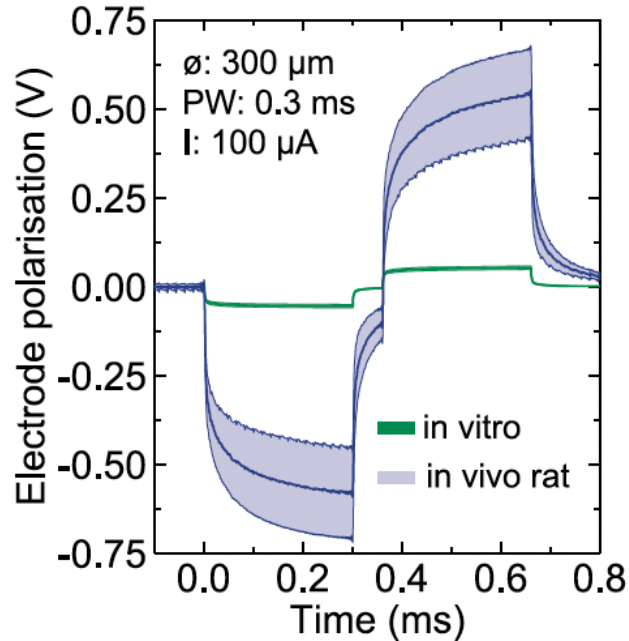
Take-home messages:

Electrochemical and biological safety in neurostimulation

- For different materials, geometries and pulses, the CIC limits vary widely
- CIC does not scale linearly with electrode area, but with electrode perimeter
- **Macroelectrodes** ($GSA > \sim 1\text{cm}^2$)
 - $q_{inj} < \sim 30 \mu\text{C} / \text{cm}^2$
- **Microelectrodes** ($GSA \ll 1\text{cm}^2$)
 - $Q_{inj} < \sim 4 \text{nC} / \text{ph.}$

Remember Shannon's law is an empirical finding derived from a confined selection of studies
Different observations may be found according to specific applications, new technologies and more tests

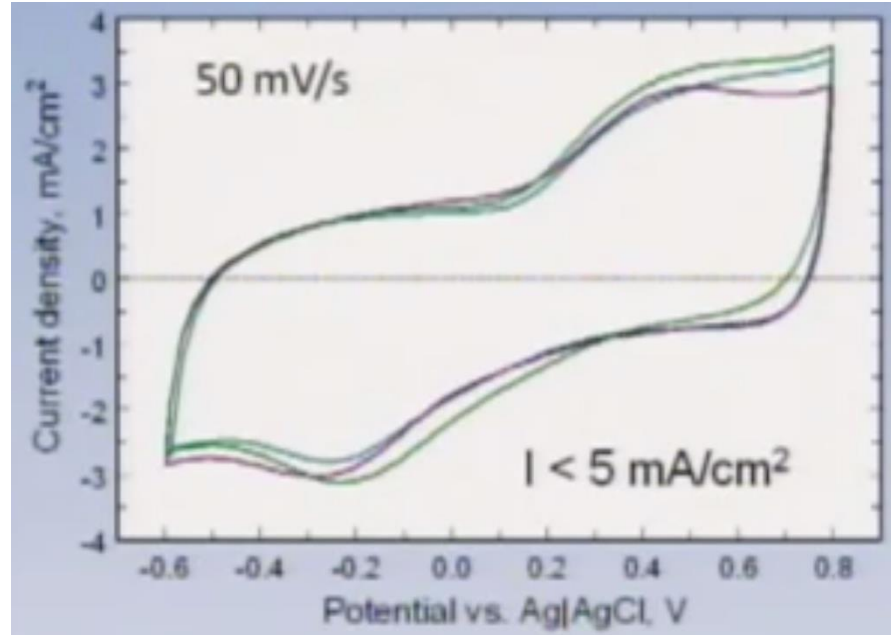
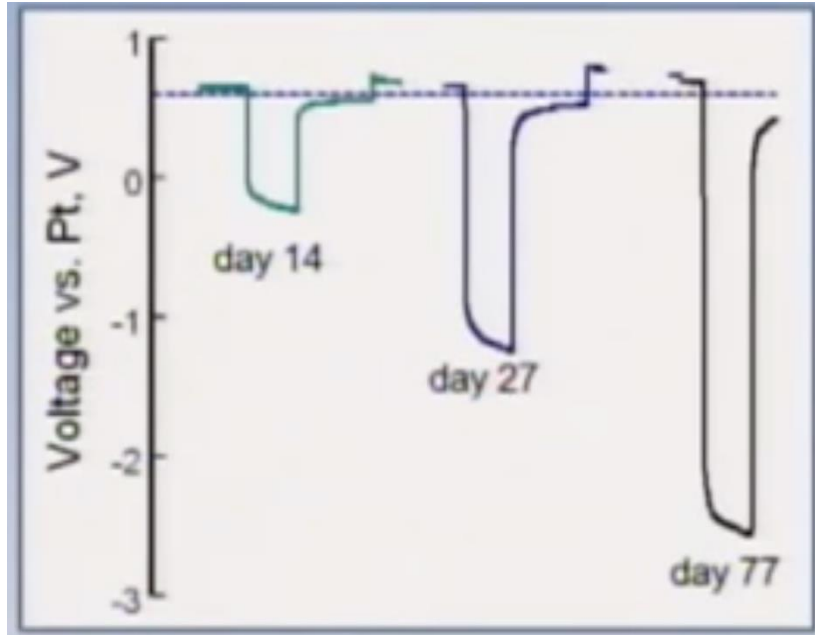
Voltage transients in vivo



When delivering electrical stimulation in vivo, the **polarization of an electrode system is consistently larger** than what measured in vitro, both in terms of **access voltage and interface polarization**.

VT over time in vivo

Example: Iridium oxide electrodes on polyimide – Chronic subretinal (animal models)

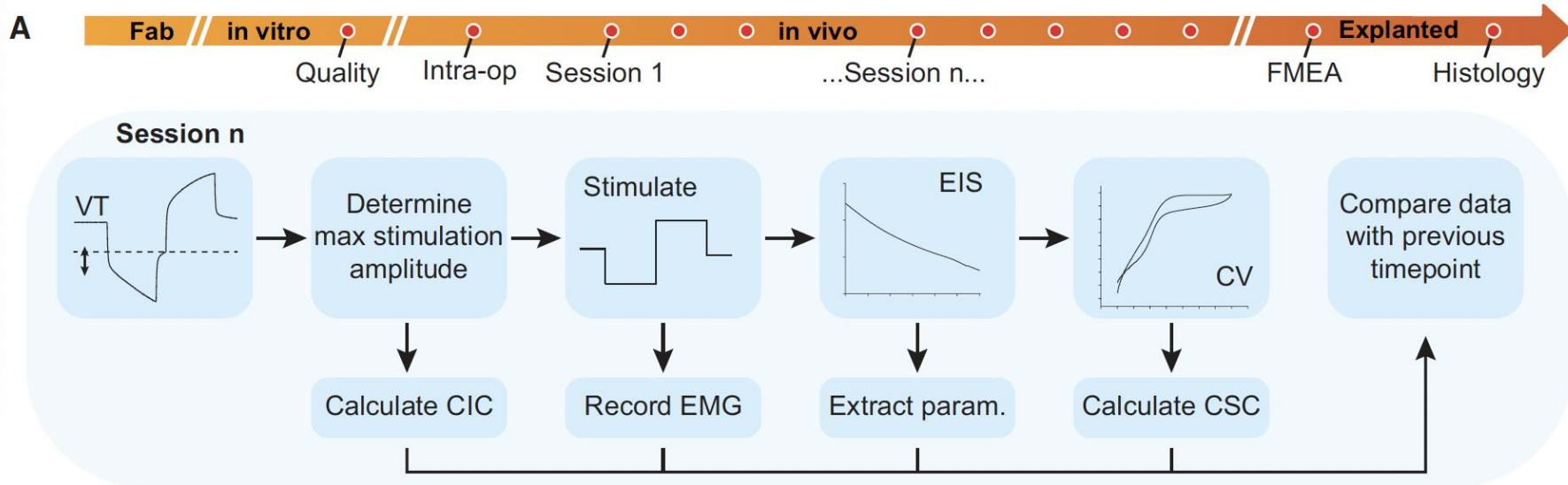


→ If charge injection is counterion transport limited (as is the case *in vivo*), slow-scan CVs do not show change, while VT shows degraded performance.

Instantaneous onset of current requires fast counterion current, not tested in slow-scan CV

■

Series of electrode characterisation: from fab to in vivo



- **CIC limit is a good benchmarking parameter**
 - Compare the voltage-efficiency of stimulation electrodes **for a given stimulus**
 - Current-controlled measurement, easy to isolate the interface and eliminate surrounding effects
 - Measurement uses stimulus derived from application → More relevant testing compared to EIS
- ***In vitro* testing for benchmarking**
 - VT *in vitro* can help establish performance standards, but...
 - The real info is *in vivo*. VT increase up to 1 order of magnitude between *in vitro* and *intra-op*

MACRO/CLINICAL electrodes

- High Q/ph. up to $\sim 3 \mu\text{C ph.}^{-1}$
 - Low Q/GSA up to $30 \mu\text{C cm}^{-2}$

 - Functional thresholds $\sim 0.6 \mu\text{C ph.}^{-1}$, $\sim 10 \mu\text{C cm}^{-2}$
- Wide [Q/ph, Q/GSA] therapeutic window

Penetrating microelectrodes

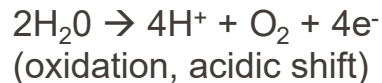
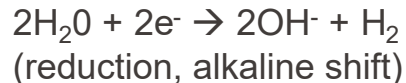
- Low Q/ph. up to $\sim 4 \text{nC ph.}^{-1}$
 - High Q/GSA up to $\sim 3000 \mu\text{C cm}^{-2}$

 - Functional thresholds $\sim 1 \text{nC ph.}^{-1}$
- Narrow Q/ph therapeutic window

Electrochemistry

Safe polarisation limits:

Based on H_2O electrolysis



Use Shannon and GSA considerations to guide the design of neural electrodes

- GSA selected by the *in vivo* application (but room for perimeter/area, coating improvement)
- Identify the safe stimulation window based on the GSA (Q/ph or Q/GSA limits)

Use electrochemistry to evaluate whether safe window is larger than tissue damage thresholds

- Use VT *in vivo* to progressively evaluate the electrode-tissue interface
- Use EIS to model more in detail complex systems